

# Dekorieren mit Mathematik

Tobias

2018-12-14

Voronoifenster

Mathematica

OpenSCAD

Ergebnis

Küchenlampe

Mathematica

Mathe - GuRoBi

Bauen

Ergebnis

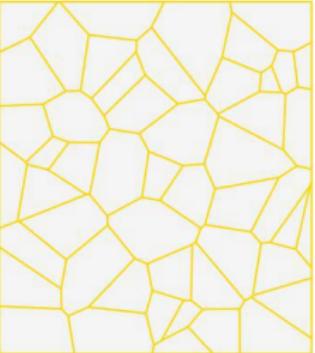


```

File <| Insert <| Input <| Cell <| Graphics <| Evaluation <| Out[<| ] <| Help
WOLFRAM MATHEMATICA Student Edition
Evaluation <| FullSimplify <| Wolfram Community <| Help

Table[RandomReal[{80+10 \[ImaginaryUnit]}, {1, 1, 50}, {j, 0, 1}]
{{27.7545, 74.2917}, {49.6636, 3.20789}, {9.25583, 71.3168}, {73.9722, 31.5465}, {8.76137, 23.9125}, {31.7818, 14.5377}, {46.398, 42.4769}, {79.8582, 30.2178}, {64.9623, 70.6297}, {16.6098, 49.8505}, {40.0459, 33.1234}, {46.1588, 10.0471}, {11.6288, 42.1775}, {5.70578, 3.29698}, {77.6771, 63.2185}, {73.9011, 83.2872}, {72.5977, 71.6679}, {75.4536, 11.4435}, {61.0521, 25.2363}, {1.1424, 87.9429}, {35.8063, 66.3791}, {46.7224, 17.5184}, {32.715, 46.7187}, {45.5893, 53.6607}, {44.7345, 10.8345}, {14.1519, 51.6928}, {71.8652, 23.5059}, {42.0382, 73.4808}, {30.9955, 7.41456}, {29.3171, 87.5003}, {16.2138, 75.9761}, {68.9592, 70.3895}, {66.366, 74.8911}, {16.6475, 58.266}, {32.4872, 69.7532}, {8.84917, 44.0813}, {68.7232, 63.586}, {51.7415, 17.4116}, {51.8611, 5.2774}, {42.1845, 45.2873}, {61.0273, 48.904}, {63.0348, 37.7985}, {71.3173, 5.37285}, {9.89057, 56.1727}, {25.0593, 20.9508}, {6.41583, 20.4305}, {47.9316, 78.1859}, {79.3453, 72.5137}, {70.7425, 33.8249}, {15.5706, 32.3135}}]

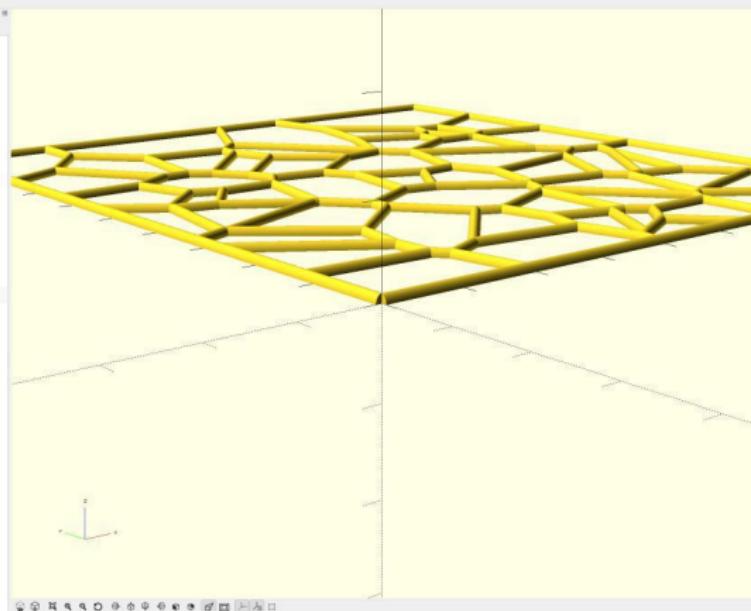
vm = VoronoiMesh[% , {{0, 80}, {0, 90}}, 
MeshCellStyle -> {{2, All} -> Blend[{Gray, White}, .92], {1, All} -> Directive[RGBColor @@ ({255, 215, 0}/255), Thick]}]



```

```
GeoGebra - Python - Wolfram Alpha - Help
```

```
1 include <lines>;
2
3 module strut(x1,y1,x2,y2){
4     dx=x2-x1;dy=y2-y1;
5     translate([x2,y2,0])
6     rotate([0,0,-atan2(dx,dy)])
7     scale([.7,sqrt(dx*dx+dy*dy),1])
8     rotate([90])
9     intersection(){
10         translate([-1,0,0])cube([2,1,1]);
11         cylinder(2,1,1,true,$fn=50);
12     }
13 }
14
15 for(l=lines)
16     strut(l[0][0],l[0][1],l[1][0],l[1][1]);
```



```
Korealis  
Compiling design [CSG Tree generation]...  
Compiling design [CSG Primitives generation]...  
Generalization in Cache 2  
Geometry cache size in bytes: 8000  
CGAL Polyhedron in-cache: 0  
CGAL cache size in bytes: 6  
Compiling Design [CSG Primitives normalized]...  
Normalized CSG-tree has 392 elements  
Compile-and-primitive finished  
Total rendering time: 0 hours, 0 minutes, 0 seconds
```

Bewertung: Verlustbedeutung = 1.00 0.00 0.00 0.00, Nutzen = 71.60 0.00 320.80 1. Abstand = 140.

QINGHUA 2018.01

```
include <lines>

module strut(x1,y1,x2,y2){
    dx=x2-x1;dy=y2-y1;
    translate([x2,y2,0])
    rotate([0,0,-atan2(dx,dy)])
    scale([.7,sqrt(dx*dx+dy*dy),1])
    rotate([90])
    intersection(){
        translate([-1,0,0])cube([2,1,1]);
        cylinder(2,1,1,true,$fn=50);
    }
}

for(l=lines)
    strut(l[0][0],l[0][1],l[1][0],l[1][1]);
```









## Maximum Coverage

$$\max r$$

$$\text{dist}(C_i, C_j) \geq r$$

$$\text{dist}(C_i, B) \geq r$$

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MATHEMATICA Student Version

Maximize[{r, Join[{(x[#] - x[#2])^2 + (y[#] - y[#2])^2 > r^2 & @@ Subsets[Range[12], {2}], r <= x[#] <= 3.4 & r >= 0 & Range[12], r <= y[#] <= 2.9 - r & @@ Range[12], {(x[#] - 1.65)^2/1.65^2 + (y[#] - 1.5)^2/1.5^2 >= 1 & Range[12]}]}, Join[{r}, x /@ Range[12], y /@ Range[12]]]

{0.6022, {r → 0.6022, x[1] → 2.38256, x[2] → 0.939197, x[3] → 1.86489, x[4] → 1.35891, x[5] → 2.7978, x[6] → 2.25572, x[7] → 2.64735, x[8] → 1.82692, x[9] → 0.83548, x[10] → 0.66289, x[11] → 1.28443, x[12] → 1.78897, y[1] → 1.0353, y[2] → 0.662203, y[3] → 2.29779, y[4] → 1.97125, y[5] → 1.57736, y[6] → 1.83964, y[7] → 2.29759, y[8] → 0.802173, y[9] → 1.66863, y[10] → 1.10131, y[11] → 1.14286, y[12] → 1.47191}}

Maximize[{r, Join[{(x[#] - x[#2])^2 + (y[#] - y[#2])^2 > r^2 & @@ Subsets[Range[12], {2}], 0.2 <= x[#] <= 3.1 & r >= 0 & Range[12], 0.2 <= y[#] <= 2.8 & @@ Range[12], {(x[#] - 1.65)^2/1.65^2 + (y[#] - 1.5)^2/1.5^2 >= 1 & Range[12]}]}, Join[{r}, x /@ Range[12], y /@ Range[12]]]]

In[4]:= pts = {{2.16516, 1.25139}, {2.16393, 2.38724}, {0.2, 0.2}, {1.23127, 1.74416}, {1.22997, 2.8}, {2.06753, 0.2}, {3.09774, 2.8}, {3.09999, 0.420986}, {0.203718, 1.44356}, {3.09962, 1.74389}, {1.13377, 0.69283}, {0.201936, 2.50326}}

In[7]:= ListPlot[pts, DelaunayMesh[pts, MeshCellStyle → {{0, \_} → Directive[Thick, Black], {1, All} → Directive[Thick, Black], {2, All} → White]], Graph[{0 → 1, 0 → 3, 0 → 7, 9 → 1, 1 → 4, 1 → 6, 2 → 5, 2 → 8, 2 → 10, 3 → 8, 3 → 10, 3 → 11, 4 → 6, 4 → 11, 5 → 7, 5 → 10, 6 → 9, 7 → 9, 8 → 11}, VertexCoordinates → (Join[Thread[Range[0, 11] → pts]]), VertexLabels → {"Name"}]]

Out[7]=

SortBy[# → #2 → Norm[Append[# /., ptsrule, .4] - Append[#2 /., rptsrul, .2]] & @@

{2 → 12, 5 → 12, 2 → 13, 8 → 13, 11 → 14, 4 → 15, 6 → 15, 6 → 16, 9 → 16, 9 → 17, 7 → 17}, Last]

## Minimal Distance

$$\min \sum_{i < j} \|x_i - x_j\| e_{ij}$$

$$e_{ij} + e_{kl} \leq 2 - \text{cross}(x_i, x_j, x_k, x_l)$$

$$\sum_i e_{ij} \geq 3$$

connected

## Minimal Cuts

$$\min \sum_{i,j} x_{ij} - n$$

$$l_{ij} \leq \text{length}(j) * x_{ij}$$

$$\sum_j l_{ij} = \text{length}(j)$$

$$\sum_i l_{ij} = \text{length}(i)$$





